

**AMISULBROM (No.789)**  
**CIPAC Collaborative Trial**

CIPAC Collaborative Study on the Determination of  
Amisulbrom in Amisulbrom Technical and Formulations  
by High Performance Liquid Chromatography

by  
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**Table of Contents**

1. INTRODUCTION	3
1.1 Scope	3
1.2 Samples	3
1.3 Participants	3
2. ANALYTICAL METHOD	4
2.1 Outline of Method	4
2.2 Program of Work	4
3. REMARKS OF PARTICIPANTS	4
3.1 Analytical Conditions	4
3.2 Remarks	7
4. RESULTS AND DISCUSSION	8
5. CONCLUSION	9
Tables	10
Figures	16

## 1. INTRODUCTION

### 1.1 Scope

The results of the CIPAC collaborative trial for amisulbrom technical product, amisulbrom water dispersible granule and amisulbrom suspension concentrate are reported.

### 1.2 Samples

- 1) Amisulbrom technical (TC-1)
- 2) Amisulbrom technical (TC-2)
- 3) Amisulbrom water dispersible granule (WG)
- 4) Amisulbrom suspension concentrate (SC-1)
- 5) Amisulbrom suspension concentrate (SC-2)

### 1.3 Participants

a)	Veronika Kmecel	Agricultural Institute of Slovenia (Slovenia)
b)	Bruno Patrian	Agroscope Changins-Wädenswil (Switzerland)
c)	Cornel Grecu	Alchimex S. A. (Romania)
d)	Robin Zou	Rotam Chemistry Co., Ltd. (China)
e)	Juliana Schlosserova	UKSUP / CCTIA (Slovakia)
f)	Florentina Vissarion	Central Phytosanitary Laboratory (Romania)
g)	Sune D. Nygaard	Technological Institute (Denmark)
h)	Takashi Watanabe	Food and Agricultural Materials Inspection Center (Japan)
i)	Sergio Grecco	Genbra Argentina S.A. (Argentina)
J)	A. Ramesh	International Institute of Biotechnology and Toxicology (India)
k)	Luis Manso	Laboratorio Arbitral Agroalimentario (Spain)
l)	Selma Belart	Laboratorio de plaguicidas y formulados (Argentina)
m)	George Balayannis	Laboratory of Chemical Control of Pesticides (Greece)
n)	Lajos Benke	National Food Chain Safety Office (Hungary)
o)	Xiangdong Shao	Nutrichem Laboratory Co., Ltd. (China)
p)	Susan Marais	Pesticide Analytical Technology (South Africa)

- |                   |  |
|-------------------|--|
| q) Phil Cassidy   | Ricerca Biosciences (USA)                      |
| r) Olga Novakova  | State Phytosanitary Administration (Czech)     |
| s) Jim Garvey     | The Pesticides Control Laboratory (Ireland)    |
| t) Vanessa Lecocq | Walloon Agricultural Research Centre (Belgium) |

## 2. ANALYTICAL METHOD

### 2.1 Outline of Method

Amisulbrom in the test samples is determined by reversed phase high performance liquid chromatography using an ODS column, UV detection at 254 nm and external standardization as stated in CIPAC/4883/m.

### 2.2 Program of Work

The collaborators were requested to:

- 1) conduct duplicate determinations on two different days for each samples;
- 2) inject each sample solution in duplicate and calculate the mean value;
- 3) check linearity before the determination;
- 4) describe operating conditions in detail; and
- 5) report the calibration curve and all chromatograms for each sample.

## 3. REMARKS OF PARTICIPANTS

### 3.1 Analytical Conditions

Lab	Liquid chromatograph	Column	Mobile phase	Flow rate (ml/min)	Column temp. (°C)
	Proposed Method	YMC Pack Pro C18 (4.6 mm ID × 250 mm, 5 µm)	Acetonitrile - 0.01% v/v aq. phosphoric acid, 75 + 25 (v/v)	1.0	40
1	Agilent 1260	Kinetex C18 100A (4.6 mm ID × 150 mm, 5 µm)	Acetonitrile - 0.01% v/v aq. phosphoric acid, 75 + 25 (v/v)	1.0	40

## 3.1 Analytical Conditions (continued)

Lab	Liquid chromatograph	Column	Mobile phase	Flow rate (ml/min)	Column temp. (°C)
2	Dionex	Zorbax SB C18 (4.6 mm ID × 250 mm, 5 µm)	Acetonitrile - 0.01% v/v aq. phosphoric acid, 75 + 25 (v/v)	1.0	25
3	Agilent 1100	YMC Pack Pro C18 (4.6 mm ID × 250 mm, 5 µm)	Acetonitrile - 0.01% v/v aq. phosphoric acid, 75 + 25 (v/v)	1.0	40
4	Agilent 1100	YMC ODS-AQ (4.6 mm ID × 150 mm, 5 µm)	Acetonitrile - 0.01% v/v aq. phosphoric acid, 70 + 30 (v/v)	0.6	40
5	Waters Alliance 2695	Zorbax SB-C18 (4.6 mm ID × 250 mm, 5 µm)	Acetonitrile - 0.01% v/v aq. phosphoric acid, 75 + 25 (v/v)	1.0	40
6	Agilent 1100	YMC Pack Pro C18 (4.6 mm ID × 250 mm, 5 µm)	Acetonitrile - 0.01% v/v aq. phosphoric acid, 75 + 25 (v/v)	1.0	40
7	Waters	YMC Pack Pro C18 (4.6 mm ID × 150 mm, 3 µm)	Acetonitrile - 0.01% v/v aq. phosphoric acid, 75 + 25 (v/v)	1.0	40
8	Perkin Elmer	YMC Pack Pro C18 (4.6 mm ID × 250 mm, 5 µm)	Acetonitrile - 0.01% v/v aq. phosphoric acid, 75 + 25 (v/v)	1.0	40
9	Shimadzu Prominence	YMC Pack Pro C18 (4.6 mm ID × 250 mm, 5 µm)	Acetonitrile - 0.01% v/v aq. phosphoric acid, 75 + 25 (v/v)	1.0	40
10	Waters	Microsorb 100-5C (4.6 mm ID × 250 mm, 5 µm)	Acetonitrile - 0.01% v/v aq. phosphoric acid, 75 + 25 (v/v)	1.0	40

## 3.1 Analytical Conditions (continued)

Lab	Liquid chromatograph	Column	Mobile phase	Flow rate (ml/min)	Column temp. (°C)
11	Shimadzu Prominence	Waters XBridge C18 (4.6 mm ID × 250 mm, 5 µm)	Acetonitrile - 0.01% v/v aq. phosphoric acid, 65 + 35 (v/v)	1.0	40
12	Agilent 1100	Gemini C18 110A (4.6 mm ID × 250 mm, 5 µm)	Acetonitrile - 0.01% v/v aq. phosphoric acid, 75 + 25 (v/v)	1.0	40
13	Shimadzu LC 10	Supelcosil LC-18 (4.6 mm ID × 250 mm, 5 µm)	Acetonitrile - 0.01% v/v aq. phosphoric acid, 75 + 25 (v/v)	1.0	40
14	Shimadzu UFLC	Luna C-18 (4.6 mm ID × 250 mm, 5 µm)	Acetonitrile - 0.01% v/v aq. phosphoric acid, 75 + 25 (v/v)	1.0	40
15	Agilent 1200	Zorbax Eclipse XDB (4.6 mm ID × 150 mm)	Acetonitrile - 0.01% v/v aq. phosphoric acid, 75 + 25 (v/v)	1.2	40
16	Agilent 1100	Zorbax SB-C18 (4.6 mm ID × 250 mm, 5 µm)	Acetonitrile - 0.01% v/v aq. phosphoric acid, 75 + 25 (v/v)	1.0	40
17	Agilent 1200	Prodigy ODS-3 (4.6 mm ID × 250 mm, 5 µm)	Acetonitrile - 0.01% v/v aq. phosphoric acid, 75 + 25 (v/v)	1.0	40
18	Shimadzu LC-20A	Inertsil ODS-2 (4.6 mm ID × 250 mm, 5 µm)	Acetonitrile - 0.01% v/v aq. phosphoric acid, 75 + 25 (v/v)	1.0	40
19	Dionex	LiChrospher 100-5 RP-18, C18 (4.0 mm ID × 250 mm, 5 µm)	Acetonitrile - 0.01% v/v aq. phosphoric acid, 75 + 25 (v/v)	1.0	40
20	Varian Pro Star	Kinetex 2.6 µ XB-C18 100A (4.6 mm ID × 100 mm, 2.6 µm)	Acetonitrile - 0.01% v/v aq. phosphoric acid, 75 + 25 (v/v)	1.0	40

### 3.2 Remarks

- Lab.1
  - Kinetex C18 100A (4.6 mm ID × 150 mm, 5 µm) was used. The retention time of amisulbrom was 3.2 minutes.
- Lab.2
  - Zorbax SB C18 (4.6 mm ID × 250 mm, 5 µm) was used at 25°C.
- Lab.4
  - About 1/5 weight of standard and samples has been prepared, except WG formulation, that more than 200 mg has been weighted and diluted afterwards in the same proportion.
  - YMC ODS-AQ (4.6 mm ID × 150 mm, 5 µm) was used. Rt: 6.2 min.
- Lab.5
  - We analysed Technical-1 and Technical-2 on Day 3 because of low repeatability on Day 2.
- Lab.7
  - YMC Pack Pro C18 (4.6 mm ID × 150 mm, 3 µm) was used.
- Lab.11
  - We used Waters XBridge C18 (4.6 mm ID × 250 mm, 5 µm).
  - As there was an impurity in front of the A.I. peak, we changed the composition of the mobile phase to acetonitrile - 0.01% v/v aqueous phosphoric acid, 65 + 35.
- Lab.14
  - There was a small time shift of the retention time (9.04 min on Day 1 → 8.67 min on Day 2).
- Lab.15
  - We use 50 mL volumetric flasks and therefore reduced the initial sample and standard messes by half throughout the study.
  - The flow rate was increased to shorten the retention time to approximately 5 minutes.
  - We used Zorbax Eclipse XDB-C18 (4.6 mm ID × 150 mm).
- Lab.16
  - Calibration and sample solutions were prepared by weighing half of the prescribed amounts into 50 mL volumetric flasks.
- Lab.18
  - We modified the reagents (MilliQ water instead of HPLC grade water)

and column (Inertsil ODS-2 instead of YMC Pack Pro C18).

- Lab.20
  - We used Kinetex 2.6  $\mu$  XB-C18 100A (4.6 mm ID  $\times$  100 mm, 2.6  $\mu$ m).

#### 4. RESULTS AND DISCUSSION

The samples were sent to twenty laboratories and all of them returned results. Summary and detailed statistical evaluations are shown in Tables 1 and 2-1 to 2-5. The statistical evaluations were carried out according to ISO 5725. The discussion on stragglers and outliers is as follows:

- TC-1

The variance of Lab 6, 7, 8, 10, 17 was identified as an outlier by Cochran's test. These data were retained because there were no reasons to remove them.

- TC-2

The variance of Lab 7, 8, 10 was identified as an outlier by Cochran's test. The mean of Lab 12 was identified as an outlier by Grubbs's test. These data were retained because there were no reasons to remove them.

- WG

The variance of Lab 12 was identified as an outlier by Cochran's test. The data was retained because there were no reasons to remove it.

- SC-1

The variance of Lab 13 was identified as a straggler by Cochran's test. The data was retained because there were no reasons to remove it.

- SC-2

The variance of Lab 10 was identified as a straggler by Cochran's test. The data was retained because there were no reasons to remove it.

## 5. CONCLUSION

For all samples, the values of RSD<sub>R</sub> (reproducibility relative standard deviation) were smaller than those calculated by Horwitz's equation even if strugger and outlier were included. The proposed method is considered to be appropriate for the determination of amisulbrom in technical, water dispersible granule and suspension concentrate.

JAPAC proposes that the method is accepted as a provisional CIPAC method.

Table 1 Summary of statistical evaluation of amisulbrom  
 large scale collaborative study

	TC-1	TC-2	WG	SC-1	SC-2
Average (g/kg)	994.99	993.00	501.11	177.45	179.17
Number of laboratories	20	20	20	20	20
Repeatability standard deviation ( $S_r$ )	6.571	5.569	4.046	1.152	1.216
"Pure" between laboratory Standard variation ( $S_L$ )	6.274	10.199	5.036	1.305	1.344
Reproducibility standard deviation ( $S_R$ )	9.085	11.620	6.460	1.740	1.812
Repeatability (r)	18.399	15.593	11.328	3.226	3.404
Reproducibility (R)	25.438	32.537	18.088	4.873	5.074
RSD <sub>r</sub>	0.660	0.561	0.807	0.649	0.678
RSD <sub>R</sub>	0.913	1.170	1.289	0.981	1.011
Horwitz's value	2.002	2.002	2.219	2.595	2.591

Table 2-1 Amisulbrom Technical-1

Lab	Analytical data (n=4)		Y <sub>i</sub>	Y <sub>i</sub> <sup>2</sup>	S <sub>i</sub>	S <sub>i</sub> <sup>2</sup>
1	Day1	1002.7	995.6			
	Day2	1000.2	999.0	999.38	998750.39	2.951
2	Day1	998.3	998.3			
	Day2	997.3	998.9	998.20	996403.24	0.663
3	Day1	998.7	997.1			
	Day2	997.5	994.4	996.93	993859.46	1.815
4	Day1	997.6	997.8			
	Day2	996.8	996.5	997.18	994357.98	0.624
5	Day1	1005.4	1003.9			
	Day2	993.1	998.6	1000.25	1000500.06	5.588
6	Day1	962.6	984.7			**
	Day2	1000.0	1005.6	988.23	976588.65	19.232
7	Day1	997.6	985.9			**
	Day2	998.1	1006.0	996.90	993809.61	8.281
8	Day1	965.7	961.8			**
	Day2	964.8	978.7	967.75	936540.06	7.488
9	Day1	1001.9	1001.8			
	Day2	1001.8	1001.9	1001.85	1003703.42	0.058
10	Day1	978.2	986.5			**
	Day2	998.3	1011.5	993.63	987290.64	14.492
11	Day1	999.5	994.1			
	Day2	999.1	998.2	997.73	995455.18	2.477
12	Day1	1007.0	995.3			
	Day2	996.8	996.7	998.95	997901.10	5.410
13	Day1	998.0	997.2			
	Day2	995.6	997.4	997.05	994108.70	1.025
14	Day1	996.6	995.4			
	Day2	997.4	991.9	995.33	990671.86	2.427
15	Day1	992.2	992.9			
	Day2	991.4	989.8	991.58	983220.98	1.333
16	Day1	992.7	993.9			
	Day2	996.4	999.8	995.70	991418.49	3.138
17	Day1	1001.1	999.7			**
	Day2	988.2	990.4	994.85	989726.52	6.496
18	Day1	995.6	992.8			
	Day2	996.9	996.9	995.55	991119.80	1.933
19	Day1	999.3	992.6			
	Day2	999.8	998.7	997.60	995205.76	3.364
20	Day1	996.6	993.3			
	Day2	997	993.6	995.13	990273.77	1.945
S1 SUM Y <sub>i</sub> =				19899.73		
S2 SUM Y <sub>i</sub> <sup>2</sup> =					19800905.67	
S3 SUM S <sub>i</sub> <sup>2</sup> =						863.612

\*\* The variance of Lab 6, 7, 8, 10, 17 was identified as an outlier by Cochran's test but included in statistic analysis

1) Cochran's test (p=20, n=4)

$$C = S^2 / \max(S) = 0.428 > 0.221 \text{ (p=20, n=4, 5%)}$$

2) Grubbs's test (P=20, n=4)

$$\begin{array}{lll} Y_{\min} = 967.75 & Y_{\max} = 1001.85 & Y = S_1 / p = 994.99 \\ S = 7.082 \end{array}$$

$$Y - Y_{\min} = 27.24$$

$$Y_{\max} - Y = 6.86$$

$$\text{lower} = (Y - Y_{\min}) / S = 3.846 > 2.709 \text{ (p=20, 5%)} \\ \text{upper} = (Y_{\max} - Y) / S = 0.969 < 2.709 \text{ (p=20, 5%)}$$

3) Calculation of r and R

$$\text{Mean; } Y = S_1 / p = 994.99$$

$$S_r^2 = S_3 / p = 43.181$$

$$S_l^2 = [(pS_2 - S_1^2) / p(p-1)] - (S_r^2 / n) = 39.358$$

$$S_R^2 = S_r^2 + S_L^2 = 82.539$$

$$S_r = 6.571$$

$$S_L = 6.274$$

$$S_R = 9.085$$

r = 2.8 x S <sub>r</sub> =	18.399
R = 2.8 x S <sub>R</sub> =	25.438
RSD <sub>r</sub> = (S <sub>r</sub> / mean) x 100 =	0.660
RSD <sub>R</sub> = (S <sub>R</sub> / mean) x 100 =	0.913

Table 2-2 Amisulbrom Technical-2

Lab	Analytical data (n=4)		Y <sub>i</sub>	Y <sub>i</sub> <sup>2</sup>	S <sub>i</sub>	S <sub>i</sub> <sup>2</sup>
1	Day1	996.7	988.5			
	Day2	999.0	997.6	995.45	990920.70	4.729
2	Day1	996.9	997.2			
	Day2	997.9	996.8	997.20	994407.84	0.497
3	Day1	1000.3	989.6			
	Day2	994.7	992.2	994.20	988433.64	4.569
4	Day1	991.1	994.6			
	Day2	996.8	997.8	995.08	990174.26	2.968
5	Day1	994.8	1002.8			
	Day2	1001.1	996.8	998.88	997751.27	3.709
6	Day1	995.1	991.2			
	Day2	1004.9	1000.2	997.85	995704.62	5.972
7	Day1	997.1	974.4			**
	Day2	995.6	1005.5	993.15	986346.92	13.237
8	Day1	959.2	961.2			**
	Day2	941.7	944.4	951.63	905590.14	9.996
9	Day1	1001.9	1001.6			
	Day2	1001.8	1001.8	1001.78	1003553.15	0.126
10	Day1	983.4	975.3			**
	Day2	1001.6	1002.6	990.73	981536.03	13.551
11	Day1	991.3	997.8			
	Day2	996.3	998.1	995.88	991767.02	3.150
12	Day1	984.6	981.5			**
	Day2	979.9	982.7	982.18	964667.73	1.982
13	Day1	997.5	996.1			
	Day2	987.1	994.4	993.78	987588.75	4.627
14	Day1	994.9	995.8			
	Day2	993.8	994.8	994.83	989676.78	0.818
15	Day1	990.0	989.7			
	Day2	990.5	992.7	990.73	981536.03	1.357
16	Day1	993.4	992.8			
	Day2	999.4	999.2	996.20	992414.44	3.589
17	Day1	998.8	1003.0			
	Day2	997.7	998.2	999.43	998850.33	2.425
18	Day1	995.5	993.4			
	Day2	996.2	994.8	994.98	989975.25	1.195
19	Day1	997.7	999.3			
	Day2	999.0	999.5	998.88	997751.27	0.810
20	Day1	998.8	996.7			
	Day2	996.8	996.5	997.20	994407.84	1.074
S1 SUM Y <sub>i</sub> =			19859.98			
S2 SUM Y <sub>i</sub> <sup>2</sup> =				19723054.00		
S3 SUM S <sub>i</sub> <sup>2</sup> =					620.282	

\*\* The variance of Lab 7, 8, 10 was identified as an outlier by Cochran's test but included in statistic analysis

\*\* The mean of Lab 12 was identified as an outlier by Grubbs's test but included in statistic analysis

1) Cochran's test (p=20, n=4)

$$C = S^2 / \max(S) = 0.296 > 0.221 \text{ (p=20, n=4, 5%)}$$

2) Grubbs's test (P=20, n=4)

$$\begin{array}{llll} Y_i \min = 951.63 & Y_i \max = 1001.78 & Y = S1/p = 993.00 \\ S = 10.572 \end{array}$$

$$Y - Y_i \min = 41.37$$

$$Y_i \max - Y = 8.78$$

$$\text{lower} = (Y - Y_i \min)/S = 3.913 > 2.709 \text{ (p=20, 5%)} \\ \text{upper} = (Y_i \max - Y)/S = 0.830 < 2.709 \text{ (p=20, 5%)}$$

3) Calculation of r and R

$$\text{Mean; } Y = S1 / p = 993.00$$

$$S_r^2 = S3 / p = 31.014$$

$$S_l^2 = [(pS2 - S1^2)/p(p-1)] - (S_r^2/n) = 104.017$$

$$S_R^2 = S_r^2 + S_L^2 = 135.031$$

r = 2.8 x S <sub>r</sub> =	15.593
R = 2.8 x S <sub>R</sub> =	32.537
RSD <sub>r</sub> = (S <sub>r</sub> / mean) x 100 =	0.561
RSD <sub>R</sub> = (S <sub>R</sub> / mean) x 100 =	1.170

Table 2-3 Amisulbrom Water Dispersible Granule

Lab	Analytical data (n=4)		Y <sub>i</sub>	Y <sub>i</sub> <sup>2</sup>	S <sub>i</sub>	S <sub>i</sub> <sup>2</sup>
1	Day1	500.7	504.8			
	Day2	496.6	495.5	499.40	249400.36	4.239
2	Day1	501.1	503.0			
	Day2	501.5	502.2	501.95	251953.80	0.835
3	Day1	507.4	511.0			
	Day2	511.7	503.4	508.38	258445.14	3.814
4	Day1	502.1	500.3			
	Day2	502.2	501.1	501.43	251427.03	0.900
5	Day1	507.9	506.7			
	Day2	501.9	504.4	505.23	255252.30	2.650
6	Day1	498.2	497.7			
	Day2	506.8	509.8	503.13	253134.77	6.103
7	Day1	496.6	496.4			
	Day2	486.1	485.6	491.18	241252.88	6.153
8	Day1	493.2	495.0			
	Day2	490.1	488.1	491.60	241670.56	3.089
9	Day1	506.8	506.9			
	Day2	507.1	506.9	506.93	256972.96	0.126
10	Day1	492.9	493.6			
	Day2	501.5	495.1	495.78	245792.85	3.925
11	Day1	507.2	507.8			
	Day2	507.8	506.5	507.33	257378.66	0.618
12	Day1	487.6	490.2			**
	Day2	507.9	502.0	496.93	246934.46	9.633
13	Day1	506.7	507.0			
	Day2	506.8	507.1	506.90	256947.61	0.183
14	Day1	499.0	500.2			
	Day2	499.0	496.3	498.63	248626.89	1.650
15	Day1	500.8	501.4			
	Day2	503.3	500.7	501.55	251552.40	1.207
16	Day1	503.7	502.2			
	Day2	510.1	506.1	505.53	255555.53	3.447
17	Day1	508.0	508.1			
	Day2	508.9	506.3	507.83	257886.23	1.094
18	Day1	502.8	502.4			
	Day2	498.2	496.8	500.05	250050.00	3.004
19	Day1	498.6	498.4			
	Day2	489.7	485.2	492.98	243024.35	6.639
20	Day1	504.4	502.6			
	Day2	495.4	495.3	499.43	249425.33	4.763
S1 SUM Y <sub>i</sub> =				10022.10		
S2 SUM Y <sub>i</sub> <sup>2</sup> =					5022684.10	
S3 SUM S <sub>i</sub> <sup>2</sup> =						327.372

\*\* The variance of Lab 12 was identified as an outlier by Cochran's test but included in statistic analysis

1) Cochran's test (p=20, n=4)

$$C = S^2 / \max / S_3 = 0.283 > 0.221 \text{ (p=20, n=4, 5%)}$$

2) Grubbs's test (P=20, n=4)

$$\begin{array}{lll} Y_i \min = 491.18 & Y_i \max = 508.38 & Y = S_1 / p = 501.11 \\ S = 5.427 \end{array}$$

$$Y - Y_i \min = 9.93$$

$$Y_i \max - Y = 7.27$$

$$\text{lower} = (Y - Y_i \min) / S = 1.830 < 2.709 \text{ (p=20, 5%)}$$

$$\text{upper} = (Y_i \max - Y) / S = 1.339 < 2.709 \text{ (p=20, 5%)}$$

3) Calculation of r and R

$$\text{Mean; } Y = S_1 / p = 501.11$$

$$S_r^2 = S_3 / p = 16.369$$

$$S_l^2 = [(pS_2 - S_1^2) / p(p-1)] - (S_r^2 / n) = 25.365$$

$$S_R^2 = S_r^2 + S_L^2 = 41.733$$

$$S_r = 4.046$$

$$S_L = 5.036$$

$$S_R = 6.460$$

r = 2.8 x S <sub>r</sub> =	11.328
R = 2.8 x S <sub>R</sub> =	18.088
RSD <sub>r</sub> = (S <sub>r</sub> / mean) x 100 =	0.807
RSD <sub>R</sub> = (S <sub>R</sub> / mean) x 100 =	1.289

Table 2-4 Amisulbrom Suspension Concentrate-1

Lab	Analytical data (n=4)		Y <sub>i</sub>	Y <sub>i</sub> <sup>2</sup>	S <sub>i</sub>	S <sub>i</sub> <sup>2</sup>
1	Day1	178.0	175.9			
	Day2	175.9	173.7	175.88	30932.02	1.756
2	Day1	180.0	179.9			
	Day2	180.2	180.4	180.13	32445.02	0.222
3	Day1	178.7	179.7			
	Day2	180.4	178.4	179.30	32148.49	0.920
4	Day1	176.8	176.3			
	Day2	177.7	176.9	176.93	31302.46	0.580
5	Day1	180.7	180.0			
	Day2	178.3	177.3	179.08	32067.86	1.554
6	Day1	177.4	179.3			
	Day2	180.0	180.0	179.18	32103.68	1.228
7	Day1	175.8	174.9			
	Day2	174.6	176.5	175.45	30782.70	0.866
8	Day1	176.7	179.5			
	Day2	176.3	176.5	177.25	31417.56	1.509
9	Day1	179.1	179.0			
	Day2	179.3	179.1	179.13	32085.77	0.126
10	Day1	176.3	174.7			
	Day2	178.0	179.0	177.00	31329.00	1.896
11	Day1	177.8	177.0			
	Day2	178.4	177.6	177.70	31577.29	0.577
12	Day1	176.6	175.6			
	Day2	177.9	178.5	177.15	31382.12	1.303
13	Day1	178.1	172.8			*
	Day2	173.2	175.5	174.90	30590.01	2.443
14	Day1	176.1	176.7			
	Day2	176.1	177.2	176.53	31161.08	0.532
15	Day1	176.7	175.3			
	Day2	176.3	175.6	175.98	30967.20	0.640
16	Day1	177.5	176.7			
	Day2	177.4	177.4	177.25	31417.56	0.370
17	Day1	179.0	179.0			
	Day2	178.8	178.5	178.83	31978.38	0.236
18	Day1	176.9	177.6			
	Day2	176.9	176.7	177.03	31337.85	0.395
19	Day1	176.8	176.7			
	Day2	176.5	176.4	176.60	31187.56	0.183
20	Day1	178.5	179.7			
	Day2	176.9	176.1	177.80	31612.84	1.612
S1 SUM Y <sub>i</sub> =				3549.05		
S2 SUM Y <sub>i</sub> <sup>2</sup> =					629826.44	
S3 SUM S <sub>i</sub> <sup>2</sup> =						26.545

\* The variance of Lab 13 was identified as a straggler by Cochran's test but included in statistic analysis

1) Cochran's test (p=20, n=4)

$$C = S^2 \max / S^2_3 = 0.225 > 0.221 \text{ (p=20, n=4, 5%)}$$

2) Grubbs's test (P=20, n=4)

$$\begin{array}{lll} Y_i \text{ min} = 174.90 & Y_i \text{ max} = 180.13 & Y = S1/p = 177.45 \\ S = 1.426 \end{array}$$

$$Y - Y_i \text{ min} = 2.55$$

$$Y_i \text{ max} - Y = 2.67$$

$$\text{lower} = (Y - Y_i \text{ min})/S = 1.790 < 2.709 \text{ (p=20, 5%)}$$

$$\text{upper} = (Y_i \text{ max} - Y)/S = 1.874 < 2.709 \text{ (p=20, 5%)}$$

3) Calculation of r and R

$$\text{Mean; } Y = S1 / p = 177.45$$

$$S_r^2 = S3 / p = 1.327$$

$$S_l^2 = [(pS2 - S1^2)/p(p-1)] - (S_r^2/n) = 1.702$$

$$S_R^2 = S_r^2 + S_L^2 = 3.029$$

$$S_r = 1.152$$

$$S_L = 1.305$$

$$S_R = 1.740$$

r = 2.8 x S <sub>r</sub> =	3.226
R = 2.8 x S <sub>R</sub> =	4.873
RSD <sub>r</sub> = (S <sub>r</sub> / mean) x 100 =	0.649
RSD <sub>R</sub> = (S <sub>R</sub> / mean) x 100 =	0.981

Table 2-5 Amisulbrom Suspension Concentrate-2

Lab	Analytical data (n=4)		Y <sub>i</sub>	Y <sub>i</sub> <sup>2</sup>	S <sub>i</sub>	S <sub>i</sub> <sup>2</sup>
1	Day1	177.9	178.4			
	Day2	177.6	176.7	177.65	31559.52	0.714
2	Day1	181.5	182.3			
	Day2	183.3	182.5	182.40	33269.76	0.739
3	Day1	181.3	180.2			
	Day2	179.6	181.7	180.70	32652.49	0.970
4	Day1	177.9	178.4			
	Day2	178.9	178.9	178.53	31871.18	0.479
5	Day1	180.5	180.3			
	Day2	179.7	178.9	179.85	32346.02	0.719
6	Day1	180.4	180.2			
	Day2	181.2	181.4	180.80	32688.64	0.589
7	Day1	181.6	176.3			
	Day2	179.4	179.4	179.18	32103.68	2.179
8	Day1	174.8	177.5			
	Day2	175.8	177.8	176.48	31143.43	1.422
9	Day1	179.8	179.7			
	Day2	179.9	179.8	179.80	32328.04	0.082
10	Day1	173.1	177.8			*
	Day2	179.7	177.5	177.03	31337.85	2.792
11	Day1	178.7	176.6			
	Day2	177.0	178.2	177.63	31550.64	0.988
12	Day1	180.8	181.8			
	Day2	181.3	181.1	181.25	32851.56	0.420
13	Day1	181.1	181.3			
	Day2	177.4	177.9	179.43	32193.33	2.061
14	Day1	178.0	178.4			
	Day2	177.8	178.6	178.20	31755.24	0.365
15	Day1	179.1	178.7			
	Day2	177.7	177.6	178.28	31781.98	0.741
16	Day1	179.7	178.3			
	Day2	178.6	179.2	178.95	32023.10	0.624
17	Day1	180.6	180.3			
	Day2	179.8	180.0	180.18	32463.03	0.350
18	Day1	178.7	179.2			
	Day2	178.4	179.1	178.85	31987.32	0.370
19	Day1	178.7	179.3			
	Day2	178.2	177.8	178.50	31862.25	0.648
20	Day1	181.7	181.5			
	Day2	178.4	177.4	179.75	32310.06	2.176
S1 SUM Y <sub>i</sub> =				3583.40		
S2 SUM Y <sub>i</sub> <sup>2</sup> =					642079.13	
S3 SUM S <sub>i</sub> <sup>2</sup> =						29.553

\* The variance of Lab 10 was identified as a straggler by Cochran's test but included in statistic analysis

1) Cochran's test (p=20, n=4)

$$C = S^2 / \max(S) = 0.264 > 0.221 \text{ (p=20, n=4, 5%)}$$

2) Grubbs's test (P=20, n=4)

$$\begin{array}{lll} Y_{\min} = 176.48 & Y_{\max} = 182.40 & Y = S_1 / p = 179.17 \\ S = 1.475 \end{array}$$

$$Y - Y_{\min} = 2.69$$

$$Y_{\max} - Y = 3.23$$

$$\text{lower} = (Y - Y_{\min}) / S = 1.827 < 2.709 \text{ (p=20, 5%)}$$

$$\text{upper} = (Y_{\max} - Y) / S = 2.190 < 2.709 \text{ (p=20, 5%)}$$

3) Calculation of r and R

$$\text{Mean; } Y = S_1 / p = 179.17$$

$$S_r^2 = S_3 / p = 1.478$$

$$S_l^2 = [(pS_2 - S_1^2) / p(p-1)] - (S_r^2 / n) = 1.807$$

$$S_R^2 = S_r^2 + S_L^2 = 3.284$$

$$S_r = 1.216$$

$$S_L = 1.344$$

$$S_R = 1.812$$

r = 2.8 x S <sub>r</sub> =	3.404
R = 2.8 x S <sub>R</sub> =	5.074
RSD <sub>r</sub> = (S <sub>r</sub> / mean) x 100 =	0.678
RSD <sub>R</sub> = (S <sub>R</sub> / mean) x 100 =	1.011

Horwitz's value = $2^{[1 - 0.5 \times \log(Y / 1000)]} =$	2.591
RSD <sub>r</sub> and RSD <sub>R</sub> < 2.591 (Horwitz's value)	

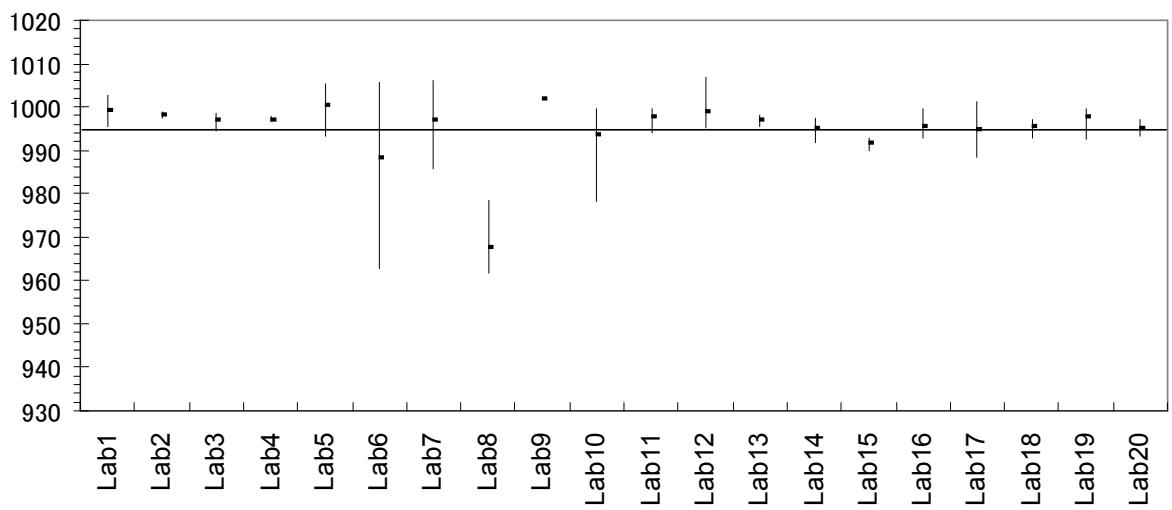


Figure 1 Amisulbrom Technical-1

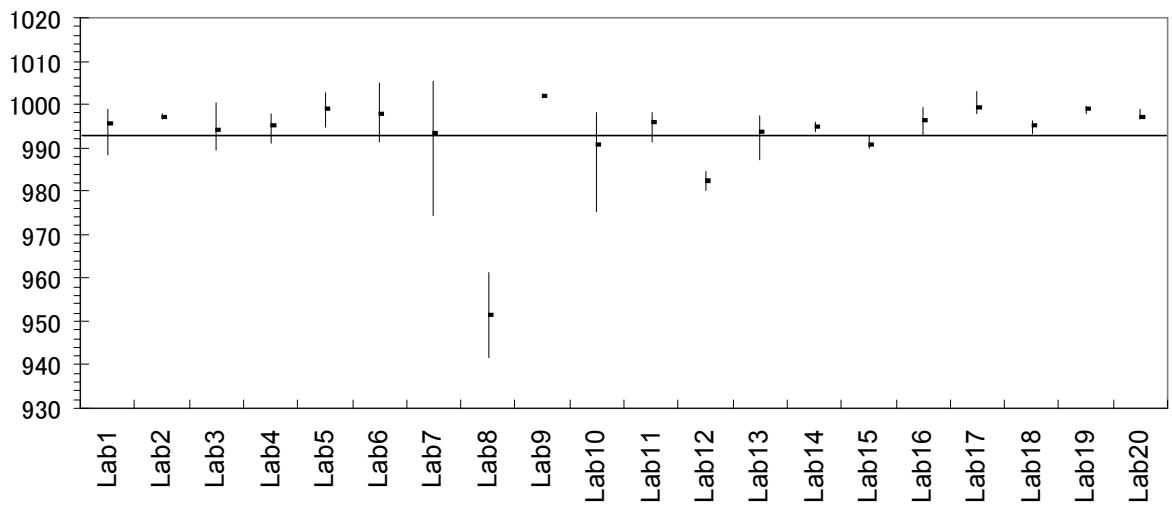


Figure 2 Amisulbrom Technical-2

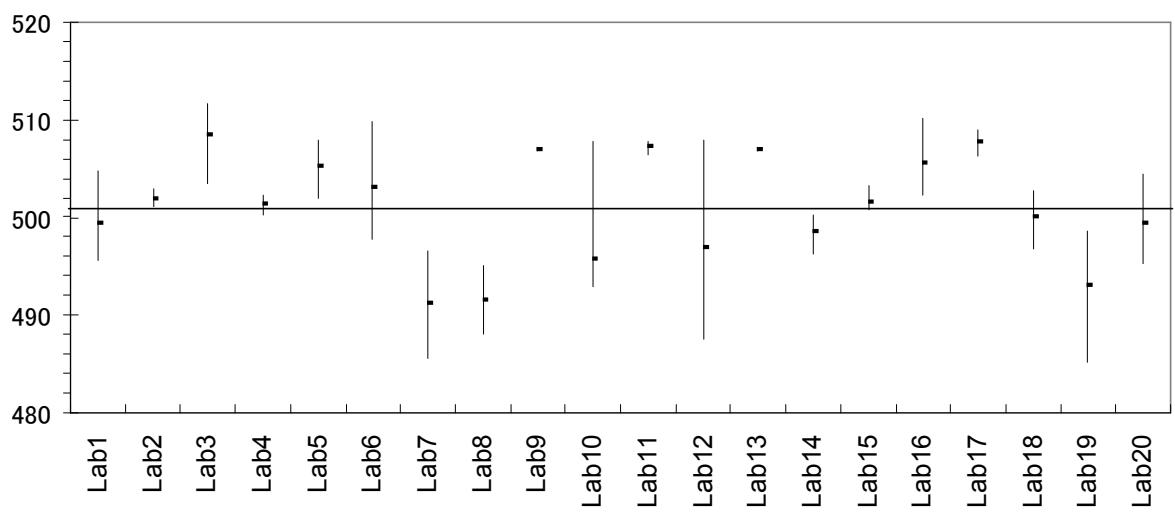


Figure 3 Amisulbrom Water Dispersible Granule

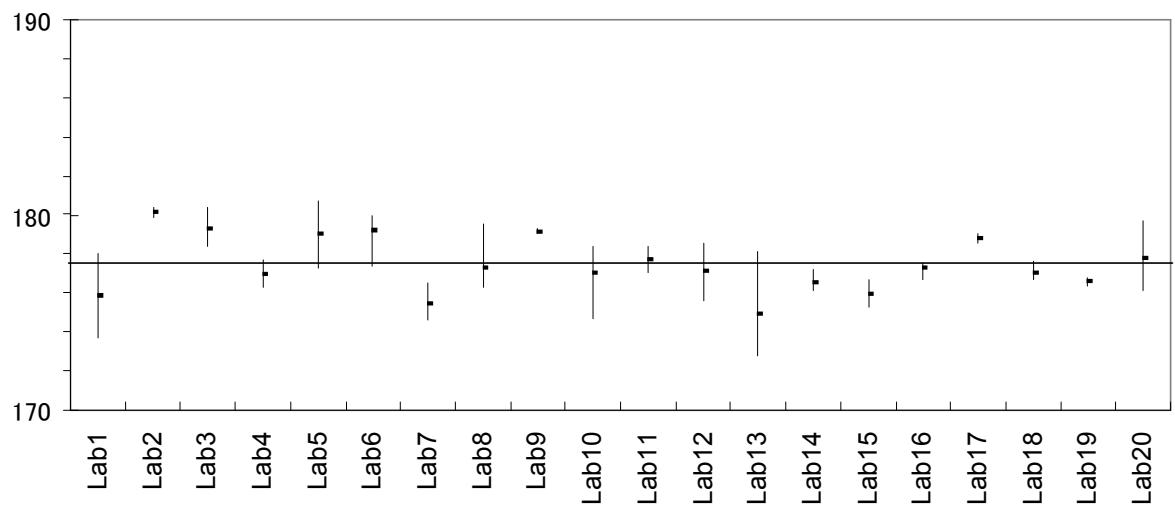


Figure 4 Amisulbrom Suspension Concentrate-1

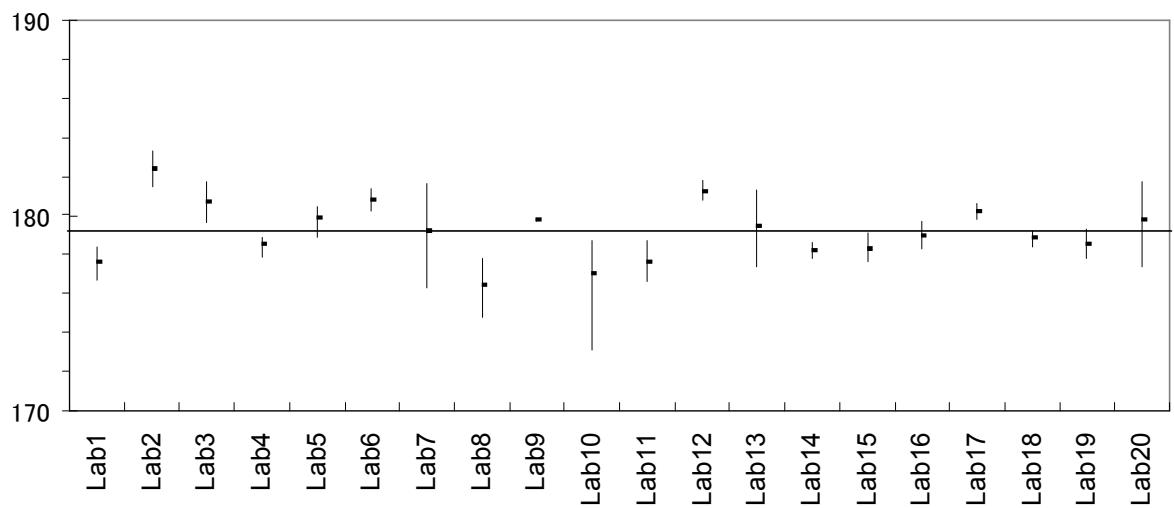


Figure 5 Amisulbrom Suspension Concentrate-2